

## Phil's Orderly Physics Curriculum Important Concepts List (POPCICL) - 1B - Interactive

*[Warning : This list is not intended to be comprehensive, but rather to highlight a few key concepts]*

### Charge & Electric Force

There are only two types of charges : \_\_\_\_\_ and \_\_\_\_\_.

Opposite charges \_\_\_\_\_ each other. Like charges \_\_\_\_\_ each other.

With the exception of \_\_\_\_\_, all neutral objects are made of \_\_\_\_\_.

A special characteristic of charge is that it is \_\_\_\_\_ (similar to energy and momentum).

Charge is \_\_\_\_\_. The smallest possible isolated charge is \_\_\_\_\_.

The unit of charge is the \_\_\_\_\_. An electron has a charge of \_\_\_\_\_.

A(n) \_\_\_\_\_ is a material in which many of the charges are free to move throughout the material.

A(n) \_\_\_\_\_ is a material in which the charges are not free to move throughout the material.

The electric force between two charged particle is described by \_\_\_\_\_ Law : \_\_\_\_\_.

The electric force between two particles acts along \_\_\_\_\_ {what direction?}.

The strength of the electric force falls off {linearly / quadratically} with distance.

The electric force obeys the \_\_\_\_\_ principle. The net electric force on a charged particle due to a collection of charges is the \_\_\_\_\_ of the electric forces between the charged particle and every other charge, taken one pair at a time.

### Electric Field

Electric force can be viewed as a two-step process: A source charge produces a(n) \_\_\_\_\_ that permeates space, and a test charge some distance away experiences a \_\_\_\_\_ due to that \_\_\_\_\_.

The electric field at some distance,  $r$ , from a charge  $Q$  is given by \_\_\_\_\_ {formula}.

The electric field is a map of the \_\_\_\_\_ that would be experienced by a \_\_\_\_\_ placed at any location.

The electric field is a vector quantity with the units of \_\_\_\_\_.

The electric field points away from \_\_\_\_\_ charges and towards \_\_\_\_\_ charges.

The electric field is the electric force on a test charge divided by \_\_\_\_\_ : \_\_\_\_\_ {formula}.

The electric field obeys the \_\_\_\_\_ principle. The net electric field due a collection of charges is the \_\_\_\_\_ of the electric fields due to the individual charges considered \_\_\_\_\_.

A charge {does / doesn't} experience its own electric field.

Electric fields are visualized by electric field lines that originate on \_\_\_\_\_ charges (or at  $\infty$ , for a single isolated \_\_\_\_\_ charge) and terminate on \_\_\_\_\_ charges (or at  $\infty$ , for a single isolated \_\_\_\_\_ charge).

The number of electric field lines that originate/terminate on a particle is proportional to its \_\_\_\_\_.

The \_\_\_\_\_ of electric field lines is proportional to the local magnitude of the electric field

The tangent to the electric field lines represents the local \_\_\_\_\_ of the electric field.

Electric field lines can never \_\_\_\_\_. The direction of the electric force is unique at each point.

The electric field above a uniform, infinite plane of charge points \_\_\_\_\_.

The electric field due to a uniform, infinite filament of charge points \_\_\_\_\_.

The electric field due to a uniform sphere or uniform spherical shell of charge points \_\_\_\_\_.

If a charged particle of mass,  $m$ , and charge,  $q_0$ , is place in an electric field,  $E$ , it will experience an acceleration given by \_\_\_\_\_ law : \_\_\_\_\_ {formula}

## Electric Flux

Electric flux is a measure of the \_\_\_\_\_ component of the electric field passing through a \_\_\_\_\_.

Electric flux is proportional to the \_\_\_\_\_ of electric field lines that cross a surface.

Electric flux depends on the magnitude of the \_\_\_\_\_, and the \_\_\_\_\_ and \_\_\_\_\_ of the surface.  
 \_\_\_\_\_ {formula}.

The area vector of a surface has a magnitude equal to \_\_\_\_\_ and a direction that is  
 {parallel/perpendicular} to the surface. The area vector points {inward/outward} for closed surfaces.

Gauss's Law states that the electric flux through any \_\_\_\_\_ surface is equal to the \_\_\_\_\_  
 (divided by the constant,  $\epsilon_0$ ). \_\_\_\_\_ {formula}

For charge distribution with sufficient symmetry (infinite plane or filament, sphere, or spherical shell), you can  
 equate combine \_\_\_\_\_ with the definition of flux to determine the electric field at a particular  
 location relative to the charge distribution. \_\_\_\_\_ {formula(s)}

## Electrostatic Equilibrium

In steady state, the electric field is \_\_\_\_\_ everywhere inside of a solid or hollow conductor

In steady state, any excess charge (positive or negative) on a conductor will reside \_\_\_\_\_.

In steady state, the electric field immediately outside a conductor is {parallel/perpendicular} to the local surface.

In steady state, excess charge density on the surface of an irregularly-shaped conductor will be \_\_\_\_\_ at  
 edges, sharp points, or tightly curved corners. The electric field outside the conductor will be  
 \_\_\_\_\_ around these sharp regions of high charge density.

## Electric Potential Energy & Electric Potential

A pair of charges has an electric P.E. that is {directly / inversely} proportional to their {separation / separation-squared}.

Potential energy can be thought of as the potential to \_\_\_\_\_ by converting it from the  
 energy stored in \_\_\_\_\_.

Two unlike charges have the greatest potential energy when they are very {far apart / close together}.

Two like charges have the greatest potential energy when they are very {far apart / close together}.

Electric potential (voltage) can be thought of as a map of the \_\_\_\_\_ that would be experienced  
 by a standard \_\_\_\_\_ test charge if it were placed at any location relative to other charges.

Electric potential (voltage) is a {scalar / vector} quantity. The voltage due to multiple charges is the {vector /  
 algebraic} sum of the electric potential (voltage) due to each charge individually.

When a test charge moves from a position at one electric potential (voltage) to another, its change in electric  
 potential energy is given by : \_\_\_\_\_ (formula)

The electric potential energy is analogous to \_\_\_\_\_ in the analogy to gravity.

The electric potential (voltage) is analogous to \_\_\_\_\_ in the analogy to gravity.

The electric field is analogous to the \_\_\_\_\_ in the analogy to gravity : \_\_\_\_\_ (E vs V formula)

Equipotential lines indicate regions that are at the same value of \_\_\_\_\_ - they are analogous to  
 \_\_\_\_\_ on a geographic contour map.

The electric potential nearby a positive point charge is a \_\_\_\_\_ value and it \_\_\_\_\_  
 \_\_\_\_\_ as you move infinitely far away from the positive point charge.

The electric potential nearby a negative point charge is a \_\_\_\_\_ value and it \_\_\_\_\_  
 \_\_\_\_\_ as you move infinitely far away from the negative point charge.

## Capacitors

A capacitor is a device that stores energy in the form of a(n) \_\_\_\_\_ between two separated \_\_\_\_\_.

Capacitance is a measure of \_\_\_\_\_ per \_\_\_\_\_. That is, the capacitance of a capacitor is the amount of \_\_\_\_\_ that can be stored when a particular \_\_\_\_\_ is applied across its two conductors (plates).

Capacitance is measured in units of \_\_\_\_\_, or more typically micro \_\_\_\_\_, nano \_\_\_\_\_, or pico \_\_\_\_\_.

A vacuum-filled \_\_\_\_\_ capacitor is the simplest example of a capacitor consisting of two plates of area \_\_\_\_\_ separated by a gap of width  $d$ . Its capacitance is given by \_\_\_\_\_ (formula).

There are three ways to increase the capacitance of a parallel plate capacitor : (1) increase the plate \_\_\_\_\_, (2) decrease the plate \_\_\_\_\_, (3) insert a(n) \_\_\_\_\_ inside the gap with high \_\_\_\_\_, \_\_\_\_\_ > 1.

Capacitors in parallel must have the same \_\_\_\_\_.

Capacitors in parallel can be replaced by a parallel equivalent capacitor whose value is given by : \_\_\_\_\_ (formula)

The {charge on / voltage across} the parallel equivalent equals the sum of those {on/across} the capacitors that it replaces.

Capacitors in series must have the same \_\_\_\_\_.

Capacitors in series can be replaced by a series equivalent capacitor whose value is given by : \_\_\_\_\_ (formula)

The {charge on / voltage across} the series equivalent equals the sum of those {on/across} the capacitors that it replaces.

The \_\_\_\_\_ is a property of an insulator that describe how much it increases the capacitance of a capacitor when inserted between the plates.

The \_\_\_\_\_ is a property of an insulator that describes how strong of a(n) \_\_\_\_\_ that it can withstand before the material "breaks down" and becomes conducting. (a lightning strike occurs across it).

## Electrical Current & Resistance

An electric current in a conductor is equal to the amount of \_\_\_\_\_ that passes through a cross-sectional area of the conductor in a given \_\_\_\_\_.

The SI unit for current is the \_\_\_\_\_ which is equal to 1 \_\_\_\_\_ per \_\_\_\_\_.

Microscopically, the average velocity of an electron in the direction of the current is called the \_\_\_\_\_, which is typically {very slow / equal to / very fast} (compared to) the speed of an electrical signal in a circuit.

Electrical resistance,  $R$ , is a measure of how much a circuit element reduces \_\_\_\_\_ through the circuit. Resistance on an element depends on both \_\_\_\_\_ and \_\_\_\_\_ effects.

Electrical resistivity depends only on the \_\_\_\_\_ and its \_\_\_\_\_.

Electrical resistivity generally {increase/decreases} with temperature. The \_\_\_\_\_ is a material-dependent property that describes the rate of change in resistivity with increasing temperature.

Electrical \_\_\_\_\_ is the inverse of electrical resistivity ( $\rho = 1/\rho$ ).

A \_\_\_\_\_ is a circuit element that provides electrical resistance in a circuit.

If two or more resistors are connected in a single line with only simple wires (with no junctions) between them, then they are said to be connected in \_\_\_\_\_.

Two or more resistors in series have an equivalent resistance given by : \_\_\_\_\_ (formula), and will be {larger / smaller} than any of the individual resistances.

If two or more resistors are connected so that the front (top) end of each resistor is connected to each other only by wires (through wire junctions) and the back (bottom) end of each resistor is connected to each other only by wires (through wire junctions), then they are said to be connected in \_\_\_\_\_.

Two or more resistors in parallel have an equivalent resistance given by \_\_\_\_\_ (formula), and will be {larger / smaller} than any of the individual resistances.

## Batteries and Electric Circuits

Ohm's Law describes the a linear relationship between the \_\_\_\_\_, \_\_\_\_\_, and \_\_\_\_\_ in a circuit: \_\_\_\_\_ (formula) \_\_\_\_\_. An \_\_\_\_\_ material is one that obey's Ohm's Law.

An electrical circuit can be driven by an \_\_\_\_\_ that provides the “push” on electrical charges so that they flow as current through the circuit.

An ideal voltage source is described by an \_\_\_\_\_ that serves as an “enforcer of voltage”. An ideal \_\_\_\_\_ will provide whatever current is necessary to maintain its rated voltage difference across it.

A real battery can be visualized an ideal EMF in series with a(n) \_\_\_\_\_. The terminal voltage of a battery is taken across its \_\_\_\_\_ an includes the effect of its \_\_\_\_\_.

Because of its non-zero internal resistance, the terminal voltage of a real battery will be \_\_\_\_\_ to the ideal EMF, depending on the \_\_\_\_\_ (the effective resistance of the circuit to which it is attached).

The power associated with a circuit element may be calculated by the relationship : \_\_\_\_\_ (formula) \_\_\_\_\_.

Power has the units of energy per time. The SI unit of Power is Watts. 1 Watt = 1 Joule / sec.

Circuits involving multiple voltage sources can be solved using \_\_\_\_\_ Rules.

Kirchhoff's \_\_\_\_\_ Rule states that at any wire junction, the sum of the \_\_\_\_\_ must equal zero. That is, the total \_\_\_\_\_ into the junction must equal to the total \_\_\_\_\_ out of the junction.

Kirchhoff's \_\_\_\_\_ Rule states that around any \_\_\_\_\_, the sum of the \_\_\_\_\_ must equal zero. To apply this rule, you must first (arbitrarily) choose a proposed direction for the current through each element and (arbitrarily) choose a direction (CW or CCW) for each loop.

Kirchhoff's \_\_\_\_\_ Rule; when the loop runs in the same direction as the current, then a battery or EMF provides a(n) {increase/decrease} in voltage while a resistor provides a(n) {increase/decrease} in voltage. When the loop runs in the opposite direction of the current, then the reverse is true.

An RC circuit combines a resistor and a capacitor in a single circuit and introduces a characteristic \_\_\_\_\_ to the circuit. The characteristic \_\_\_\_\_ of an RC circuit is given by (formula) and has the units of \_\_\_\_\_.

When an EMF is connected to a series RC circuit, the current through the resistor is initially {large/small} but the charge on the capacitor is initially {large/small} (\_\_\_\_\_ at the very first instant). As time progresses, the charge on the capacitor \_\_\_\_\_ as does the voltage across the capacitor; and as a result, the current through the resistor goes \_\_\_\_\_. Eventually, the capacitor reaches a maximum charge of  $Q = \underline{\hspace{1cm}}$ , the voltage across the capacitor becomes equal to that of the EMF source,  $\mathcal{E}$ , and the current through the resistor \_\_\_\_\_.

When a previously-charged capacitor is connected in a closed loop to a resistor, then capacitor will \_\_\_\_\_ through the resistor. Initially, the current through the resistor is {large/small}, but as time progresses, both the charge on the capacitor and the current through the resistor gradually \_\_\_\_\_.

The time-dependent behavior of RC circuits is characterized mathematically by \_\_\_\_\_ charging and discharging : {general formula form} \_\_\_\_\_, where  $\tau = \underline{\hspace{1cm}}$ .

## Magnetic Forces & Fields

A magnetic field can be produced by \_\_\_\_\_ charges, such as the \_\_\_\_\_ in a wire.

The magnetic field lines that describe the magnetic field around a straight current-carrying wire form \_\_\_\_\_ centered on the wire and that \_\_\_\_\_ the wire in a direction given by the \_\_\_\_\_.

The current right-hand-rule states that if your point your \_\_\_\_\_ along the wire in the direction of the \_\_\_\_\_, your fingers will curl in the circulation direction of the \_\_\_\_\_.

The direction of the magnetic field at any point is \_\_\_\_\_ to the direction of the magnetic field line at that point.

**Magnetic Forces & Fields (continued)**

In the presence of a magnetic field, a moving charge will experience a magnetic force that is directed \_\_\_\_\_ to both the magnetic field and the instantaneous velocity vector of the particle. There are two possible directions for this \_\_\_\_\_ magnetic force (e.g., up/down, left/right, in/out, east/west, north/south). The appropriate choice between these two possible directions is given by the \_\_\_\_\_.

The force right-hand-rule dictates that you fully open your right hand and align your fingers with the direction of the \_\_\_\_\_ of the charged particle. You then roll your hand so that \_\_\_\_\_ appears to point straight out of your palm. You should now be able to use your fingertips to “push (rotate)” the \_\_\_\_\_ into the direction of the \_\_\_\_\_ by curling your fingers into a closed fist. In this orientation, your outstretched thumb will point in the direction of the magnetic force on a moving \_\_\_\_\_ charge. If the actual charge of the particle is negative, simply \_\_\_\_\_.

The magnitude of the magnetic force on a moving charged particle is proportional to four quantities: (i) the \_\_\_\_\_ of the particle, (ii) the charge's \_\_\_\_\_, (iii) the magnitude of the \_\_\_\_\_, and (iv) the \_\_\_\_\_ of the angle between the \_\_\_\_\_ vector and the \_\_\_\_\_ vector.

A charged particle moving \_\_\_\_\_ or \_\_\_\_\_ to a magnetic field will experience no magnetic force. A charged particle moving \_\_\_\_\_ to a magnetic field will be deflected with the maximal force.

In a uniform magnetic field,  $B$ , a charged particle or mass,  $m$ , moving with velocity,  $v$ , perpendicular to the magnetic field will undergo \_\_\_\_\_ with a radius,  $r$ , found by equating the magnitude of the \_\_\_\_\_ force to the \_\_\_\_\_ force required for that particular \_\_\_\_\_ motion.

The sum of the \_\_\_\_\_ force and \_\_\_\_\_ force on a moving charged particle is called the Lorentz force. The electric force is (dependent/independent) of/on the charged particle's velocity, but the magnetic force is (dependent/independent) of/on the charged particle's velocity.

A region that contain both a magnetic field and an electric field oriented perpendicular to each other, can act as a \_\_\_\_\_ for particles injected \_\_\_\_\_ to both fields.

A mass spectrometer utilizes a velocity selector followed by the \_\_\_\_\_ motion of a particle in a magnetic field to separate charged molecules and atoms based on the \_\_\_\_\_ ratio.

A current-carrying wire in a magnetic field will experience a force on the wire whose magnitude is proportional to four quantities: (i) the \_\_\_\_\_ (ii) the \_\_\_\_\_ of the wire exposed to the field, (iii) the magnitude of the \_\_\_\_\_, and (iv) the sine of the angle between the directions of the \_\_\_\_\_ and the \_\_\_\_\_.

For a loop of current, the magnetic field inside the loop due the current will \_\_\_\_\_ direction, but is (uniform? non-uniform? straight? divergent?)

We can associate a “magnetic moment” vector, ( $\mu$  vector) with a current loop which has a magnitude proportional to the \_\_\_\_\_ and the \_\_\_\_\_, and whose direction is given by the right-hand-rule. (curl your right fingers in the \_\_\_\_\_; your outstretched thumb aligns with the \_\_\_\_\_)

An (infinitely) long, tightly wound spiral of current is called an (ideal) \_\_\_\_\_. The \_\_\_\_\_ has a \_\_\_\_\_ magnetic field inside of it that is (what direction?).

A loop of current in an external magnetic field can experience a \_\_\_\_\_ that will cause it to (what will it do? and in what direction will it do it?) (i.e., so that its \_\_\_\_\_ vector aligns with the \_\_\_\_\_)

### Biot-Savart Law and Ampere's Law

The magnitude of the magnetic field due to a current can be found by two different methods : \_\_\_\_\_ law or \_\_\_\_\_ Law.

The Biot-Savart law gives us the \_\_\_\_\_ at a point, P, some distance, r, from an infinitesimal segment (ds) of a wire carrying a current, I.

We can find the total magnetic field due to any wire by \_\_\_\_\_ the contributions given by Biot-Savart's law along the \_\_\_\_\_.

Ampere's law allows us to easily calculate the magnetic field due to current-carrying wires if the wire configuration has sufficient \_\_\_\_\_, such as a \_\_\_\_\_, a \_\_\_\_\_, or a \_\_\_\_\_.

To apply Ampere's law, draw an imaginary amperian loop that \_\_\_\_\_ in a way that the magnetic field is known (by symmetry) to be \_\_\_\_\_ or \_\_\_\_\_ over different segments of the loop.

### Faraday's Law and Inductance

Magnetic flux is a measure of the \_\_\_\_\_ component of the \_\_\_\_\_ passing through a surface area.

Magnetic flux is proportional to the number of \_\_\_\_\_ that cross a surface.

Magnetic flux depends on the magnitude of the \_\_\_\_\_, and the \_\_\_\_\_ and \_\_\_\_\_ of the surface : \_\_\_\_\_ (equation) \_\_\_\_\_.

Faraday's law of induction states that a(n) \_\_\_\_\_ is induced around any closed path through which there is a \_\_\_\_\_-varying \_\_\_\_\_. The magnitude of the induced EMF is proportional to the rate of change of \_\_\_\_\_ through the closed path : \_\_\_\_\_ (equation) \_\_\_\_\_.

\_\_\_\_\_ 's law states that the direction of the induced \_\_\_\_\_ (and any resulting induced \_\_\_\_\_) will be oriented so as to \_\_\_\_\_ the change that induced them.

When a conductor moves with a component of its velocity \_\_\_\_\_ to a magnetic field, magnetic forces will induce a \_\_\_\_\_ that results in an EMF (called \_\_\_\_\_ EMF) across the conductor.

When a closed loop is rotated in a magnetic field so that the magnetic flux through the loop is \_\_\_\_\_, then a \_\_\_\_\_-varying induced EMF will develop on the loop. This forms the basis of an \_\_\_\_\_.

When a time-varying current flows in a \_\_\_\_\_, an induced EMF arises in it that \_\_\_\_\_ the change in the current. This phenomenon is called \_\_\_\_\_ and forms the basis of devices called \_\_\_\_\_.

An inductor stores energy in the form of a \_\_\_\_\_. The stored energy is  $\frac{1}{2}$  times the \_\_\_\_\_ of the coil times the square of the \_\_\_\_\_ in/on the coil.

The (self)-inductance of a coil depends only on the \_\_\_\_\_ and \_\_\_\_\_ properties of the coil.

The S.I. unit for the (self)-inductance of a coil is the \_\_\_\_\_ : \_\_\_\_\_ (unit defining relation) \_\_\_\_\_.

A series RL circuit consists of a \_\_\_\_\_ and an \_\_\_\_\_ in series and has a characteristic \_\_\_\_\_ that is equal to : \_\_\_\_\_ (equation) \_\_\_\_\_.

When an RL circuit is first connected to a voltage source, a(n) \_\_\_\_\_ (supporting / opposing) induced EMF forms on the inductor that acts to \_\_\_\_\_ the \_\_\_\_\_ (rise / fall) of the \_\_\_\_\_ through the circuit.

When an RL circuit is first disconnected from an attached voltage source, a(n) \_\_\_\_\_ (supporting / opposing) induced EMF forms on the inductor that acts to \_\_\_\_\_ the \_\_\_\_\_ (rise / fall) of the \_\_\_\_\_ through the circuit.